Method of computing relative standard errors (CV):

We applied formulas for variance estimation of total known from classical theory for stratified random sampling. Relative standard error (coefficient of variation) for total of variable *X* in domain *D* equals:

$$CV(\hat{X}|D) = \frac{\sqrt{Var(\hat{Y})}}{\hat{Y}},$$

 $\hat{Y} = \sum_{h} \sum_{i} y_{hi}$ (estimator of total),

 $Var(\dot{Y}) = \sum_{h} \dot{N}_{h}^{2} \left(\frac{1}{n_{h}} - \frac{1}{\dot{N}_{h}}\right) s_{h}^{2}$ (variance estimator of total),

 $\hat{N}_h = \sum_i w_{hi},$

 $y_{hi} = x_{hi}$ for unit *i* in domain *D*, otherwise $y_{hi} = 0$,

 x_{hi} denotes values of surveyed variable for unit *i* in stratum *h*,

 w_{hi} is weight for estimation (i.e. design weight after correction),

 n_h denotes number of units in realized sample in stratum h,

 s_h^2 is sample variance for variable Y in stratum h.

In the case of ratio estimator (e.g. estimation of yields) estimator is defined as:

$$\widehat{R} = \frac{\widehat{U}}{\widehat{V}} = \frac{\sum_{h} \sum_{i} u_{hi}}{\sum_{h} \sum_{i} v_{hi}}$$

and its variance (in the numerator of the formula for CV) is estimated using above formula for variance of total with "linearized variable" defined as:

$$z_{hi} = \frac{u_{hi} - \hat{R} v_{hi}}{\hat{V}} \, .$$